

EVOLUTION OF INHIBITION MODELS FOR FLUORINATED CINCHONA ALKALOIDS BY MACHINE LEARNING

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Background and Objective

- Alzheimer's disease (AD) ⇒ one of the most common forms of dementia chronic syndrome of the CNS
 - Multifactorial disease \rightarrow difficulties with treatment
 - <u>The most successful approach to date</u>: improving cholinergic transmission using **cholinesterase** inhibitors
- Cholinesterases (ChEs): acetylcholinesterase (AChE) and butyrylcholinesterase (BChE) → hydrolysis of acetylcholine (ACh)
- Normal conditions: ACh is dominantly decomposed by **AChE**; the physiological role of **BChE** is still unclear
- Progressed AD: level of AChE in brain = 55-67% of normal values level of BChE = 120% of normal values
 - → Specific BChE or dual inhibitors (BChE and AChE) might be a potential therapeutic strategy to be utilized in the treatment of AD
- **Derivatives of** *Cinchona* **alkaloids** ⇒ proved to be potent BChE inhibitors with high selectivity toward BChE

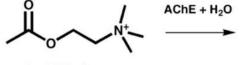
1. K. Sharma, Mol. Med. Rep. 20 (2019) 1479–1487.

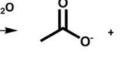
3. A. Bosak, A. Ramić, T. Šmidlehner, T. Hrenar, I. Primožič, Z. Kovarik, PLoS One 13 (2018) 1–18.

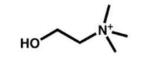
^{2.} Q. Li, H. Yang, Y. Chen, H. Sun, Eur. J. Med. Chem. 132 (2017) 294-309.

Cholinesterases







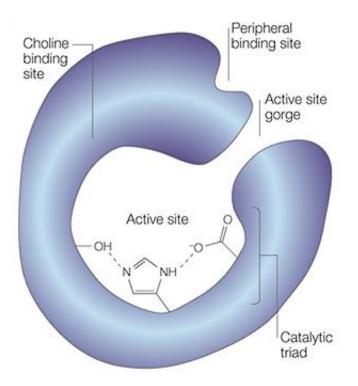


Acetylcholine

Acetate

Choline

- Structure:
 - AChE and BChE share 65% amino acid sequence homology
 - <u>Catalytic triad</u>: Ser, His,Glu
 - Turnover number: $\sim 1.5 \times 10^4 \text{ s}^{-1}$



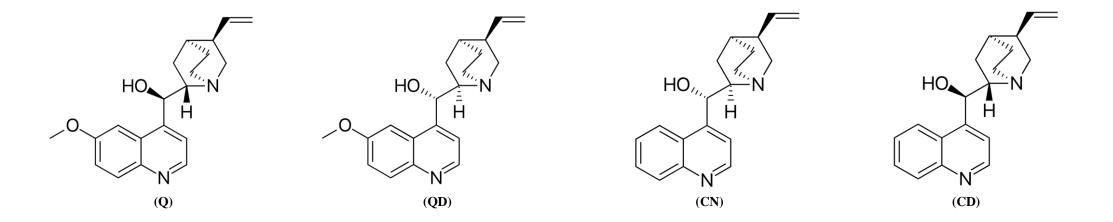
4. H. Soreq and S. Seidman, Nat. Rev. Neusrosci. 2 (2001) 294–302.

5. P. Sharma, P. Srivastava, A. Seth, P. N. Tripathi, A. G. Banerjee, S. K. Shrivastava, Prog. Neurobiol. 174 (2018) 53-89.

6. P. Taylor, S. Camp, Z. Radić, Acetylcholinesterase in L.R. Squire (Ed.), Encyclopedia of Neuroscience, Academic Press, Oxford (2009), pp. 5-7.

Cinchona alkaloids

- Cinchona alkaloids ⇒ natural products isolated from the bark of the Cinchona tree
- **The most researched**: quinine (**Q**), quinidine (**QD**), cinchonine (**CN**), and cinchonidine (**CD**)
- Bioactivity

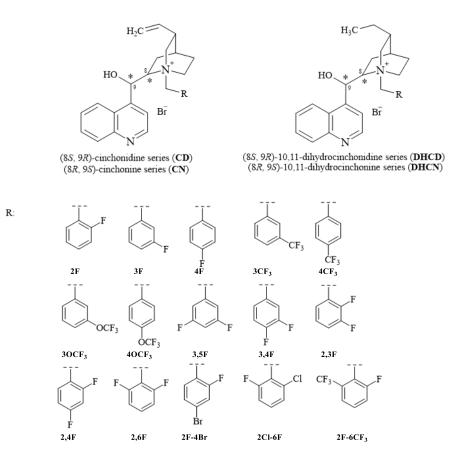


Methodology

Creating an activity/PES model using machine learning multivariate linear regression

Investigated compunds

A series of 46 Cinchona alkaloid derivatives which differ in positions of fluorine atom(s) in the molecule were previously prepared:



Activity data

- Dissociation constants of the enzyme-inhibitor complex (K_i) ⇒ measure of compound's inhibition potency
- Principal components of the activity data extracted by 2nd-order tensor decomposition using our own program *moonee*

Compound	<i>K</i> ₁/µM				<i>K</i> ₁/µM		
	BChE	AChE	SI*	Compound	BChE	AChE	SI*
CD Bzl	0.075±0.007	15±2		CN Bzl	2.9±0.3	121±12	
CD 2F	0.82 ± 0.03	33 ± 1	40	CN 2F	2.4 ± 0.1	80 ± 2	33
CD 3F	0.075 ± 0.005	40 ± 2	533	CN 3F	6.1 ± 0.3	13 ± 0.4	2.1
CD 4F	1.5 ± 0.1	69 ± 3	46	CN 4F	2.6 ± 0.1	3.9 ± 0.2	1.5
CD 3CF ₃	2.4 ± 0.1	34 ± 1	14	CN 3CF ₃	4.4 ± 0.2	59 ± 2	13
CD 4CF ₃	2.0 ± 0.1	21 ± 1	11	CN 4CF ₃	6.0 ± 0.3	31 ±1	5.2
CD 3,5F	0.081±0.01	10±1	123	CN 3,5F	6.3 ± 0.2	34 ± 3	5.4
CD 3,4F	1.3 ± 0.1	13 ± 1	10	CN 3,4F	6.1 ± 0.2	14 ± 0.2	2.3
CD 2,3F	0.75 ±0.03	19 ±1	25	CN 2,3F	9.6 ±0.4	46 ±3	4.8
CD 2,4F	6.1 ± 0.5	6.4 ± 0.3	1.1	CN 2,4F	6.0 ±0.2	27 ±1	4.5
CD 2,6F	9.9 ±0.4	7.7 ± 0.5	0.77	CN 2,6F	5.2 ±0.2	30 ±2	5.8
CD 30CF ₃	7.4 ±0.4	8.2 ± 1.1	1.1	CN 30CF ₃	4.7 ± 0.2	41 ±2	8.7
CD 40CF ₃	7.6 ±0.5	7.3 ±0.5	0.96	CN 40CF ₃	7.8 ±0.3	19 ± 2	2.4
CD 2F-6CF ₃	5.7 ±0.6	35 ±4	6.1	CN 2F-6CF ₃	7.7 ±0.4	61 ±2	7.9
CD 2F-4Br	0.68 ±0.05	7.2 ±0.4	10	CN 2F-4Br	5.5 ± 0.3	16 ±1	2.9
CD 2CI-6F	5.0 ±0.3	9.9 ± 0.8	1.9	CN 2CI-6F	1.2 ±0.0	17 ±1	14
DHCD	19±2	206±6	11	DHCN	1.2±0.1	43±2	43
DHCD Bzl	0.4±0.02	4.8±0.4	12	DHCN Bzl	0.9x±0.04	21±1	23
DHCD 3F	0.3±0.02	27±2	84	DHCN 3F	1.2±0.1	20±1	20
DHCD 4F	4.3±0.2	31±1	8	DHCN 4F	1.6±0.1	64±2	40
DHCD 3CF ₃	1.4±0.1	25±1	18	DHCN 3CF ₃		41±2	34
DHCD 4CF ₃	3.2±0.2	15±1	5	DHCN 4CF ₃	1.6±0.1	18±1	9
DHCD 3OCF ₃	6.8±0.3	36±1	5	DHCN 3OCF ₃	1.3±0.5	68±1	52
DHCD 40CF ₃	5.9±0.2 * SI denotes ste	17±1	3	DHCN 40CF ₃	2.2±0.1	22±1	10

* SI denotes stereoselective index calculated from K_i(AChE)/K_i(BChE)

8. T. Hrenar, *moonee*, Program for Manipulation and Analysis of Multi-and Univariate Data, rev. 0.68268, 2022.

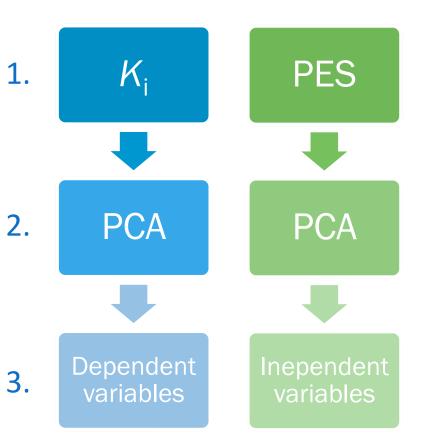
Potential energy surfaces (PES)

- Potential energy surfaces (PES) were sampled by performing *ab initio* molecular dynamics simulations using our own program *qcc*:
 - On-the-fly calculations of forces in each point of the simulation using the semi-empirical PM7 Hamiltonian implemented in MOPAC2016
 - Integration: velocity Verlet algorithm with a 0.5 fs step size
 - Initial temperature: 773.15 K; kept constant using a velocity scaling algorithm
 - Total length of the simulation: 2.5 ps (total of 5 000 000 steps for each compound)
- Construction of strict local maxima plateaus by counting all strict local maxima points in the probability distribution funcions ⇒ criterion for conformational space coverage
- Multidimensional PES were reduced in dimension by principal component analysis

T. Hrenar, *qcc*, Quantum Chemistry Code, rev. 0.6826, 2022.
J. J. P. Stewart, *Stewart Computational Chemistry*; MOPAC2016: Colorado Springs, CO, USA, 2016.

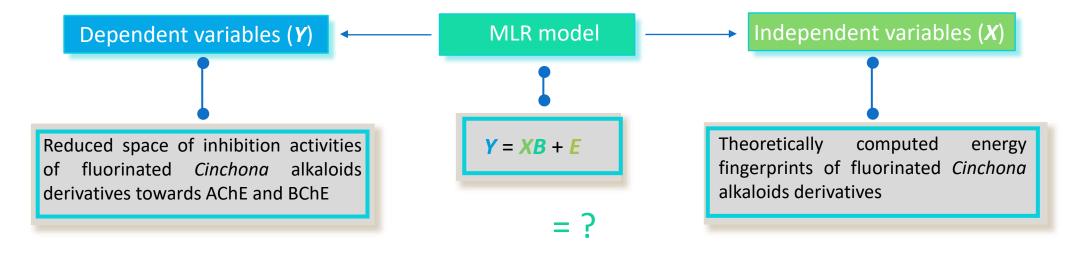
Generating principal components

- Principal components analysis (PCA): eigenvalues and
 - eigenvectors of the covariance matrix $C_{\mathbf{X}} = \frac{1}{n} \mathbf{X} \mathbf{X}^{\mathsf{T}}$
- 1. Data (*K*_i or **PES** of **CD**, **CN**, **DHCD** and **DHCN**, and 46 of their derivatives total of 50 compounds) were:
 - exported to the ASCII format,
 - arranged in the matrix X with numbers written in a free format,
 - mean-centered
- 2. PCA on the covariance matrix was carried out using our own multivariate analysis code *moonee* based on the NIPALS algorithm
- 3. The most important principal components were used as dependent or independent variables in multivariate linear regression



Methodology

Multivariate linear regression (MLR) model



$$\begin{bmatrix} y_{11} & y_{12} & \cdots & y_{1p} \\ y_{21} & y_{22} & \cdots & y_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ y_{n1} & y_{n2} & \cdots & y_{np} \end{bmatrix} = \begin{bmatrix} 1 & x_{11} & x_{12} & \cdots & x_{1m} \\ 1 & x_{21} & x_{22} & \cdots & x_{2m} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ 1 & x_{n1} & x_{n2} & \cdots & x_{nm} \end{bmatrix} \cdot \begin{bmatrix} k \\ k \\ k \\ k \end{bmatrix}$$

$$\begin{bmatrix} b_{01} & b_{02} & \cdots & b_{0p} \\ b_{11} & b_{12} & \cdots & b_{1p} \\ b_{21} & b_{22} & \cdots & b_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ b_{m1} & b_{m2} & \cdots & b_{mp} \end{bmatrix} + \begin{bmatrix} e_{11} & e_{12} & \cdots & e_{1p} \\ e_{21} & e_{22} & \cdots & e_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ e_{n1} & e_{n2} & \cdots & e_{np} \end{bmatrix}$$

- n number of samples
- m number of independent variables
- p number of dependent variables

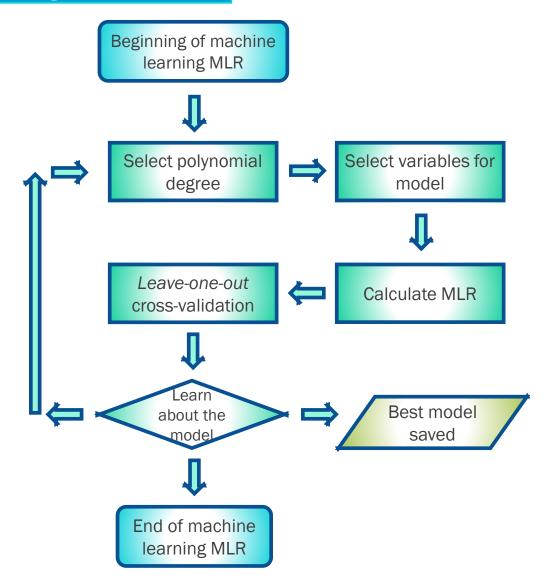
Machine learning multivariate linear regression (ML-MLR)

Multivariate linear regression was performed using the following expression for matrices of coefficients *B* calculated by singular value decomposition:

 $\boldsymbol{B} = (\boldsymbol{X}^{\mathsf{T}}\boldsymbol{X})^{-1}\boldsymbol{X}^{\mathsf{T}}\boldsymbol{Y}$

- An extensive machine learning procedure was applied for generating multivariate linear regression models with linear combination of original variables as well as their higher-order polynomial terms
- Models were thoroughly validated by the *leave-one-out* cross-validation technique (LOO-CV)

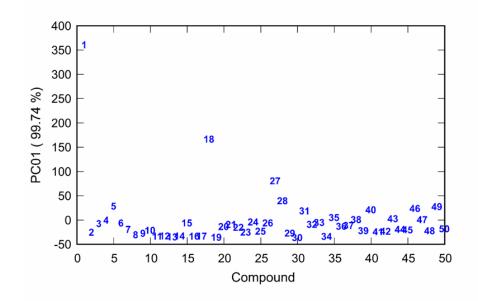
Machine learning (ML)



Results

Classification model based on activities

- PCA on the mean-centered covariance matrix of *Cinchona* alkaloids derivatives inhibition of AChE and BChE showed that the **first** principal component explained more than **99.74%** of the total variance among the data
 - \rightarrow The 1st component is the most important in describing the inhibition activity of the compounds
 - Possibility of visualization

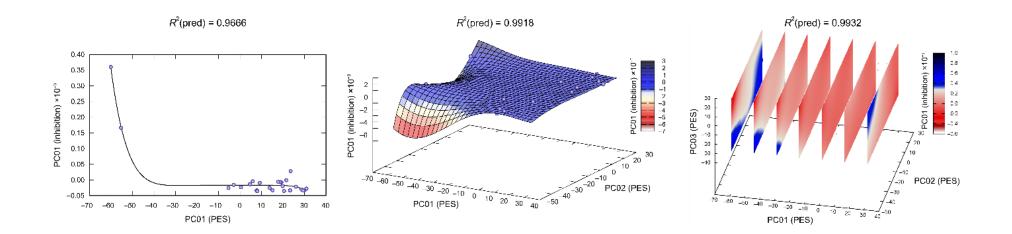


Activity/PES models

- Models were created using the the first three principal components of the reduced <u>PES</u> <u>data</u> and the 1st principal component for <u>inhibition</u> of AChE and BChE
- All possible regression models were generated, and the *B*-matrices of coefficients were determined
- **Machine learning** was used to determine the best possible regression model
- **3D models** were inspected up to the <u>fourth order</u>, and the total number of investigated models in each case was 17179869184

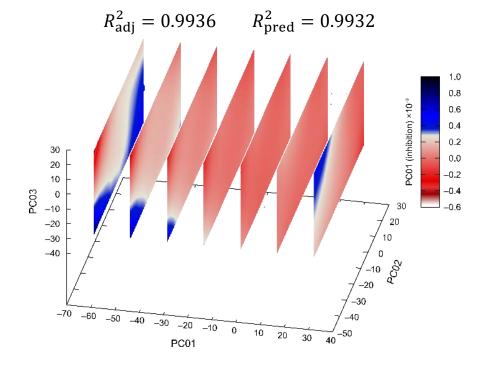
Evolution of regression models

- Optimal activity/PES models were selected based on the adjusted and predicted R² values, LOO-CV mean squared error, as well as the number of variables in the models
- Progression of the best inhibition models for fluorinated *Cinchona* alkaloids derivatives depending on domain dimensionality:



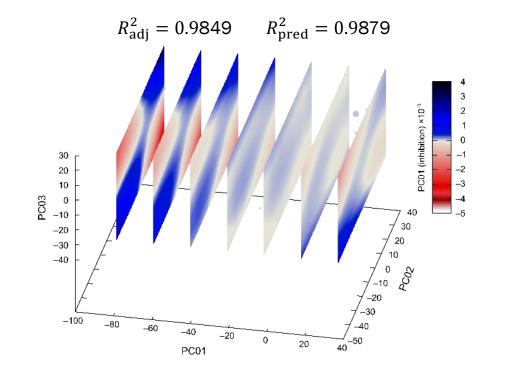
The best regression model

The 1st principal component for flourinated CD-derivatives inhibition of AChE and BChE was regressed on compounds' theoretically computed energy fingerprints, and the best calculated 3D regression model was determined by machine learning:



The best regression model

The 1st principal component for flourinated CN-derivatives inhibition of AChE and BChE was regressed on compounds' theoretically computed energy fingerprints, and the best calculated 3D regression model was determined by machine learning:



Conclusion

- Activity and PES data were reduced in dimension by a 2nd order tensor decomposition tool, PCA.
- The best multivariate linear regression models describing the relationship between activity and PES were determined by machine learning.
- The best activity/PES models can be (and were) used for prediction of inhibition activities for new compounds based only on their theoretically computed PES.
- N-quaternary derivatives of *Cinchona* alkaloids proved to be an excellent scaffold for further research towards finding selective cholinesterase inhibitors.

Thank you!